

Managing yield uncertainty in a hybrid manufacturing / remanufacturing inventory system

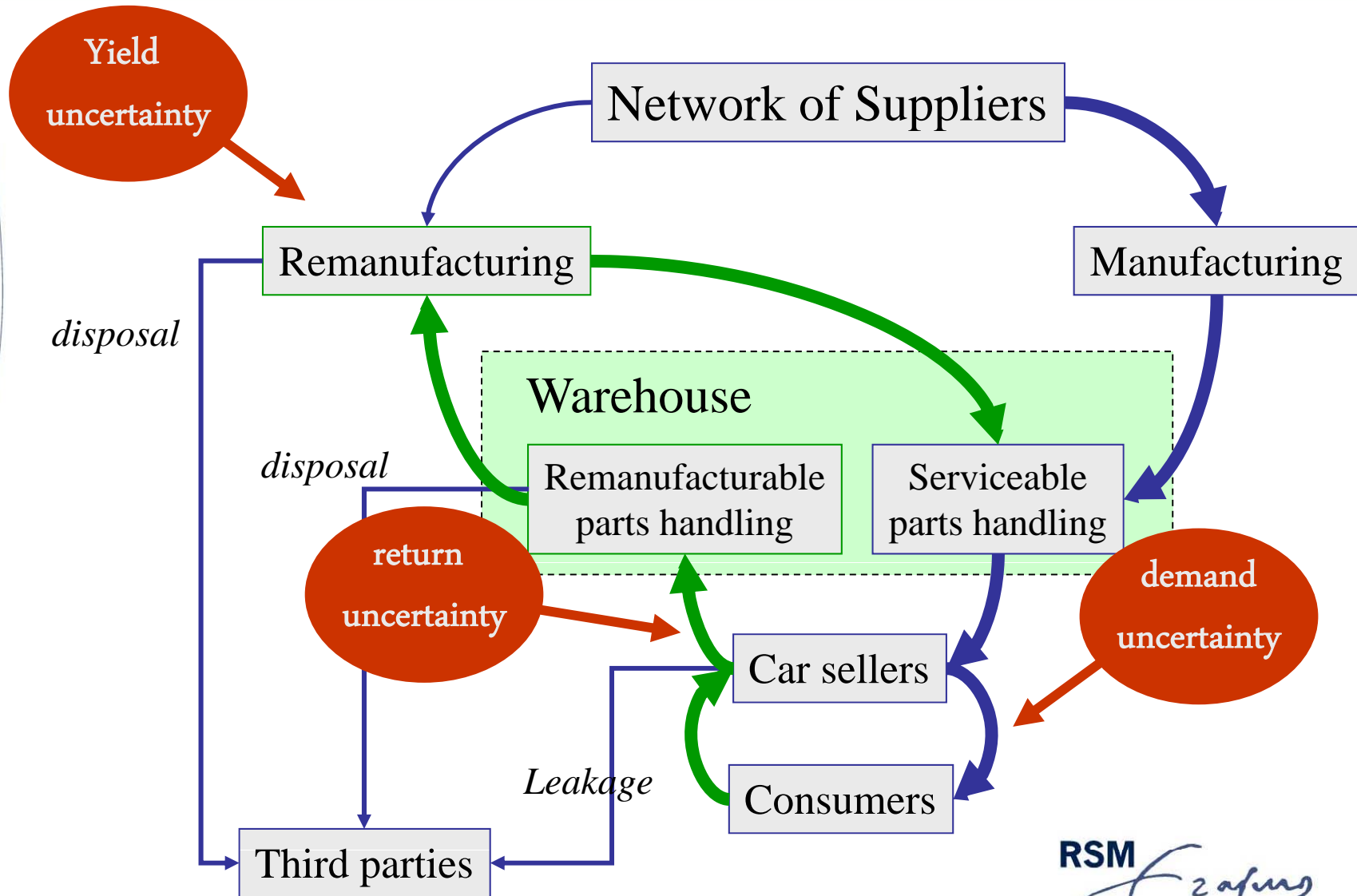
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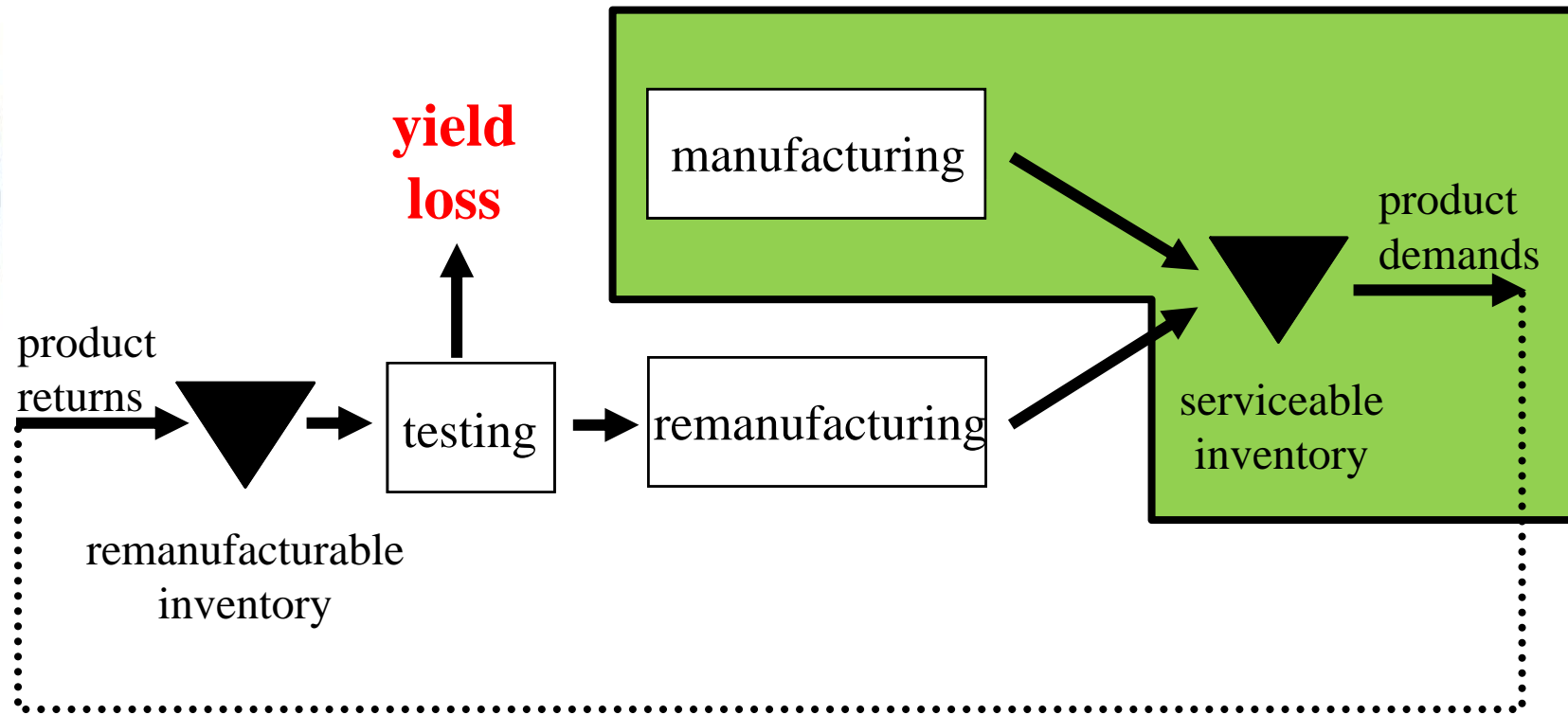
Agenda

- Underlying case
- Modeling framework
- Heuristics for near-optimal inventory decisions
- Impact of yield uncertainty → numerical study
- Managerial implications

Joint manufacturing/remanufacturing of car parts



Framework for joint (re)manufacturing



(Near) optimal policies?

- **What structure do optimal policies have?**

- Inderfurth '97 → (L,M,U) – policy

- (discrete time; equal leadtimes; no fixed costs; no yield loss)

- Fleischmann & Kuik '02 → (s,S) manufacturing Policy;

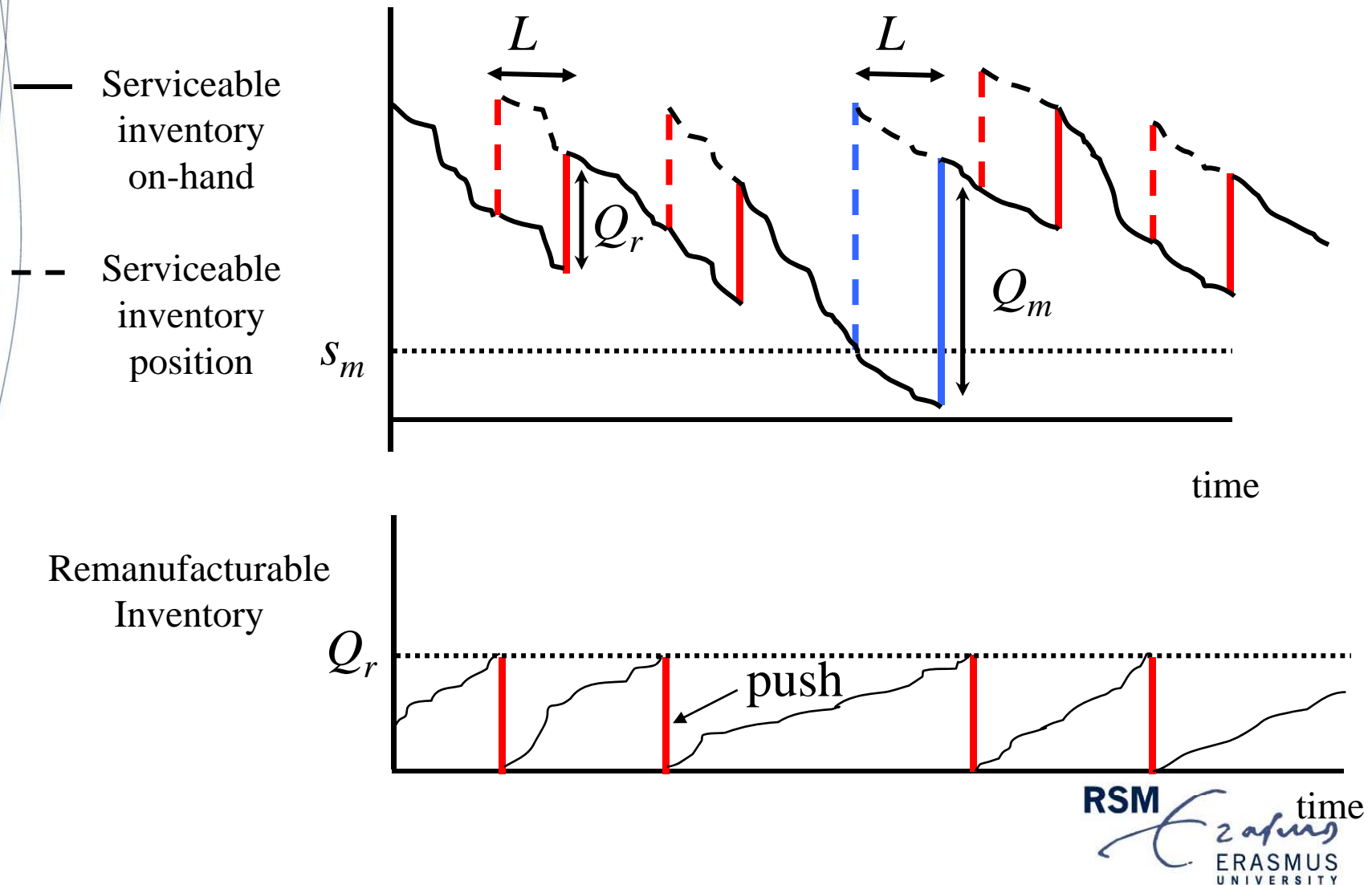
- (instantaneous remanufacturing, no yield loss)

- **What are 'near optimal' control policies?**

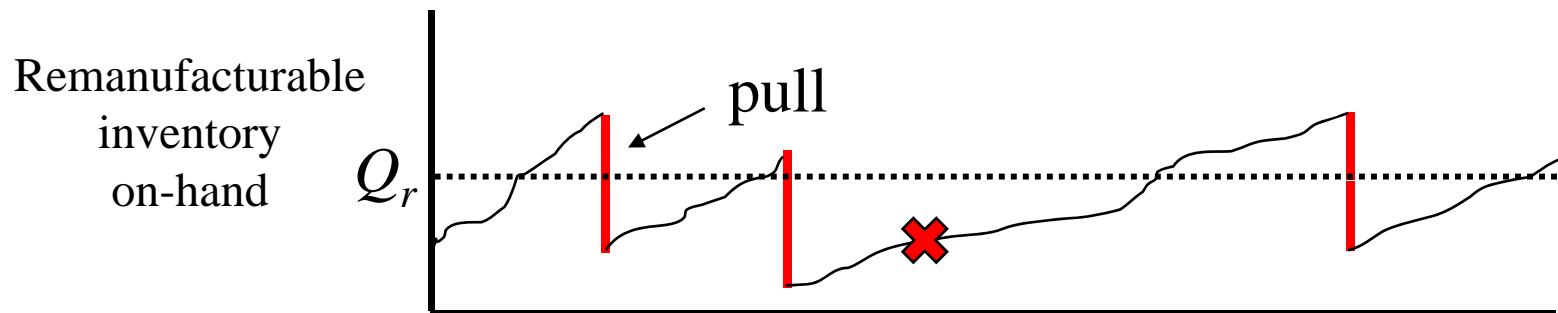
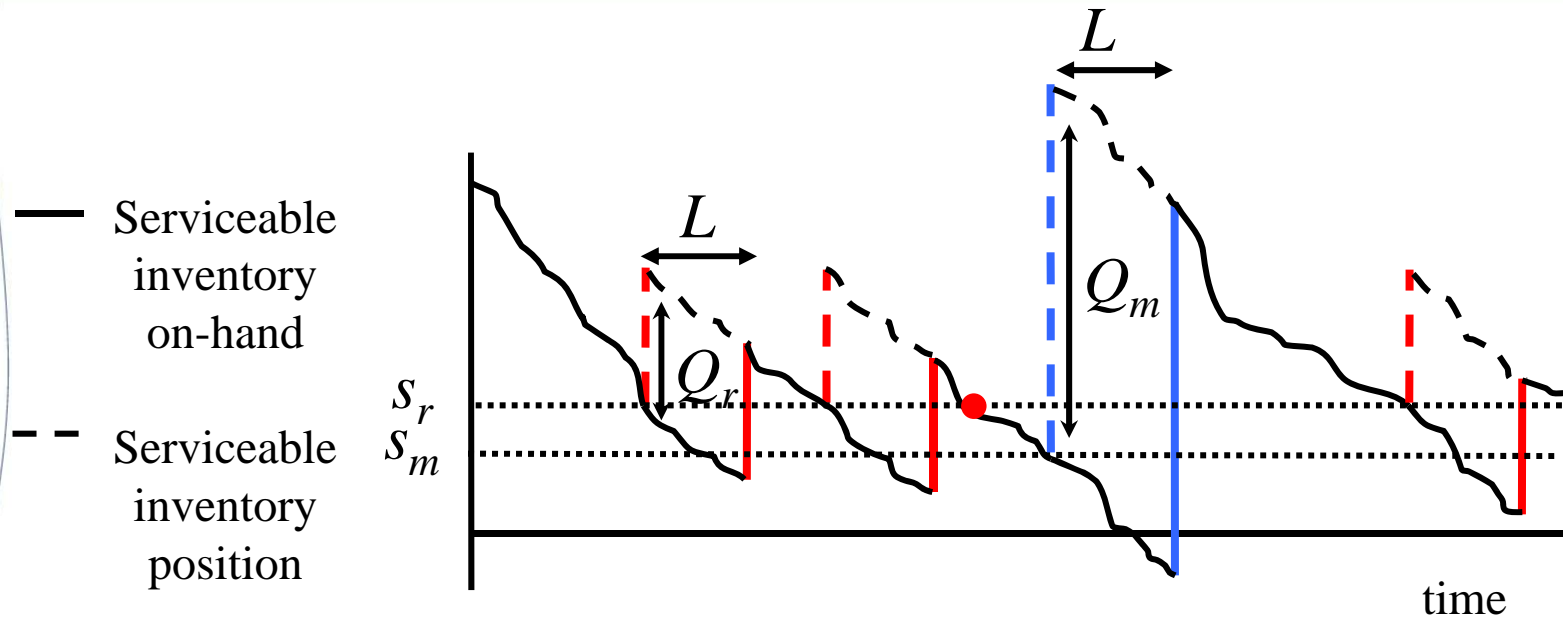
- Van der Laan et al. '99 → push & pull remanufacturing

- (continuous review, fixed costs, non-zero leadtimes)

Push remanufacturing (no yield loss)



Pull remanufacturing (no yield loss)



Three scenarios w.r.t. testing

1. Instantaneous testing

Yield uncertainty is resolved as soon as the remanufacturing order is placed.

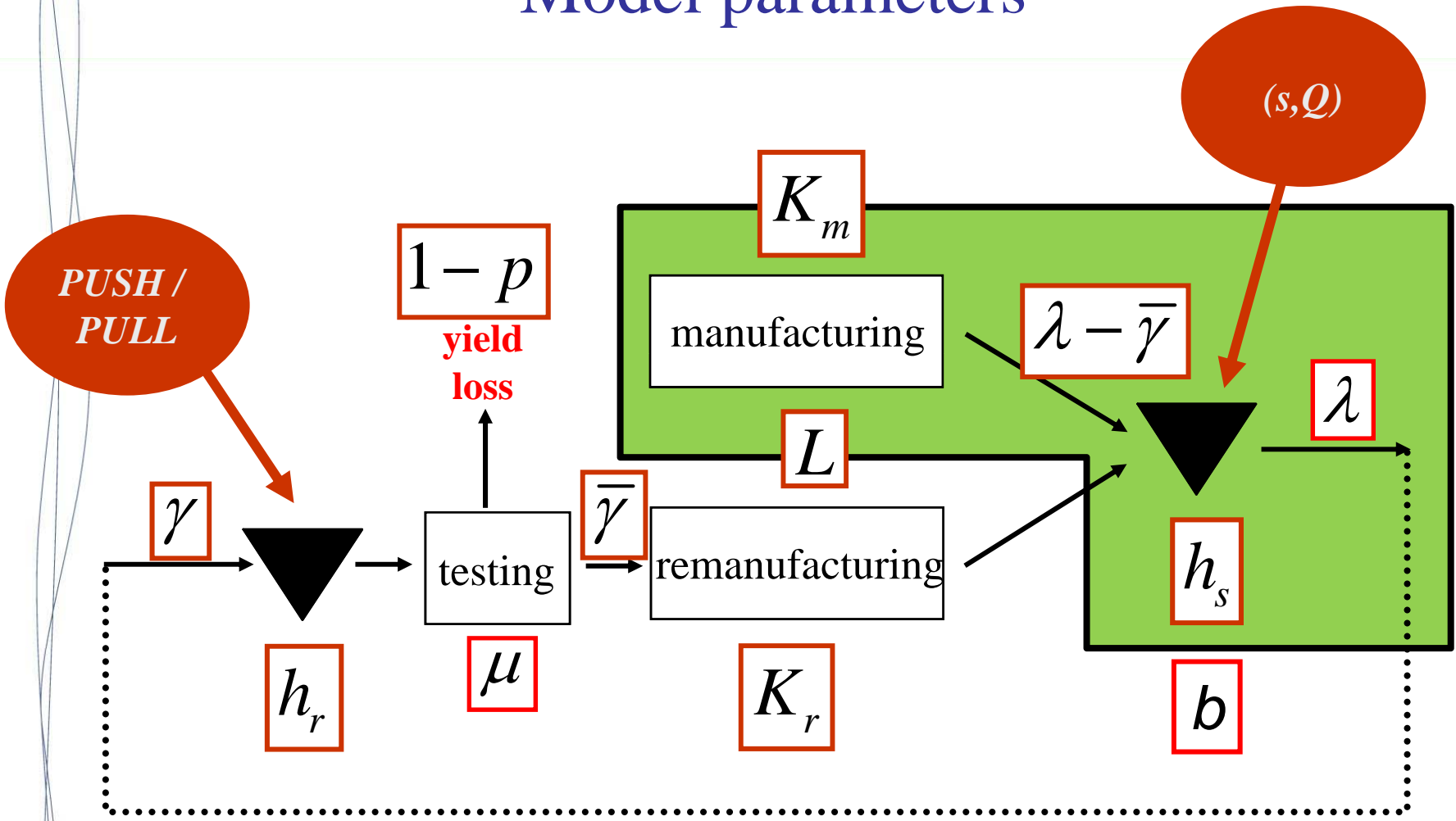
2. Reactive updating

- Testing times are stochastic
- Inventory position is updated **after** testing.

3. Proactive updating

- Testing times are stochastic.
- Inventory position is updated **before** and **after** testing.

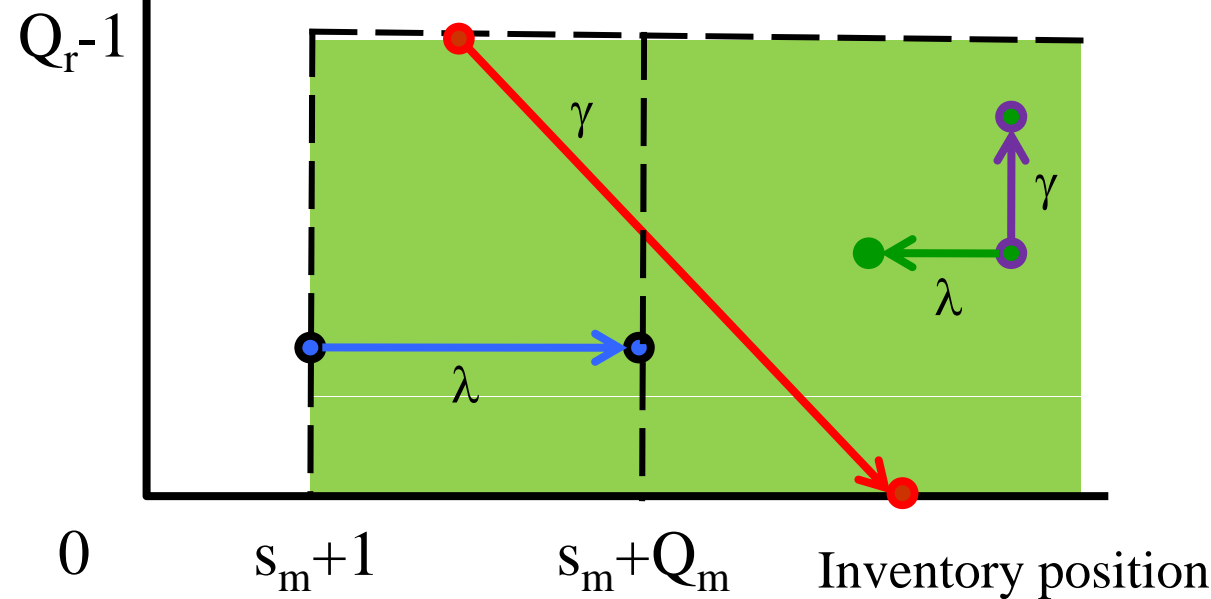
Model parameters



PUSH with instantaneous testing

→ Markov chain modeling of inventory position

Remanufacturables
inventory



$$N(t) - IP(t-L) - D(t-L, t)$$

Heuristic order quantities

PUSH	$Q_{man} = \sqrt{\frac{2(\lambda + \bar{\gamma})K_m}{h_s}}$	$Q_{rem} = \sqrt{\frac{2\gamma K_r}{h_r + (p\bar{\gamma} / \lambda)h_s}}$
PULL	$Q_{man} = \sqrt{\frac{2(\lambda - \bar{\gamma})K_m}{(\gamma / \lambda)h_r + (1 + \bar{\gamma} / \lambda)h_s}}$	

Source: *Corbacioglu & Van der Laan (2009)*, "Heuristics for Push and Pull remanufacturing with yield uncertainty", proceedings of the 2009 EUROMA conference, Gothenburg, Sweden.

Heuristic reorder levels

PUSH

$$s_m = F^{-1}\left(1 - \left(\frac{h_s}{b}\right)\left(\frac{Q_m}{\lambda + \bar{\gamma}}\right)\right)$$

PULL

$$s_m = F^{-1}\left(1 - \left(\frac{h_s}{b}\right)\left(\frac{Q_m}{\lambda}\right)\right)$$

$$s_r = F^{-1}\left(1 - \left(\frac{h_s}{b}\right)\left(\frac{pQ_r}{\lambda}\right)\right)$$

With F^{-1} the inverse cumulative distribution of demand during leadtime

Source: Corbacioglu & Van der Laan (2009), "Heuristics for Push and Pull remanufacturing with yield uncertainty", proceedings of the 2009 EUROMA conference, Gothenburg, Sweden.

Full factorial experimental design

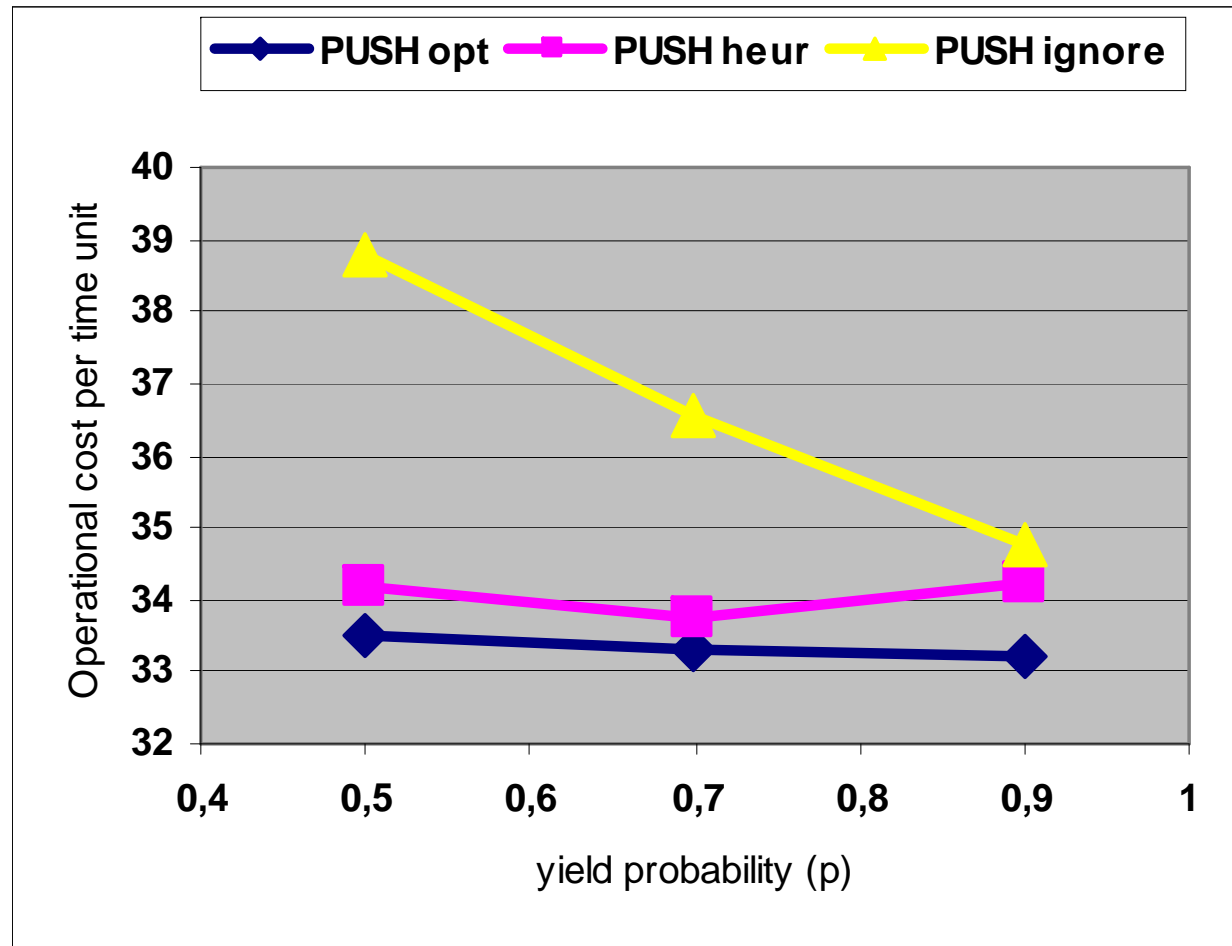
Demand rate (λ)	10 (Poisson process)
Return rate (γ)	5, <u>7</u> , 9 (Poisson process)
Test rate (μ)	2, <u>4</u> , 8 (Exponential)
Yield probability (p)	0.5, <u>0.7</u> , 0.9
Lead time (L)	2
Serviceables holding cost (h_s)	1
Remanufacturables holding cost (h_r)	0, <u>0.5</u> , 1.0
Backorder cost (b)	100
Fixed manufact. cost (K_m)	10
Fixed remanufact. cost (K_r)	10

All 81 scenarios are evaluated based on exact costs.

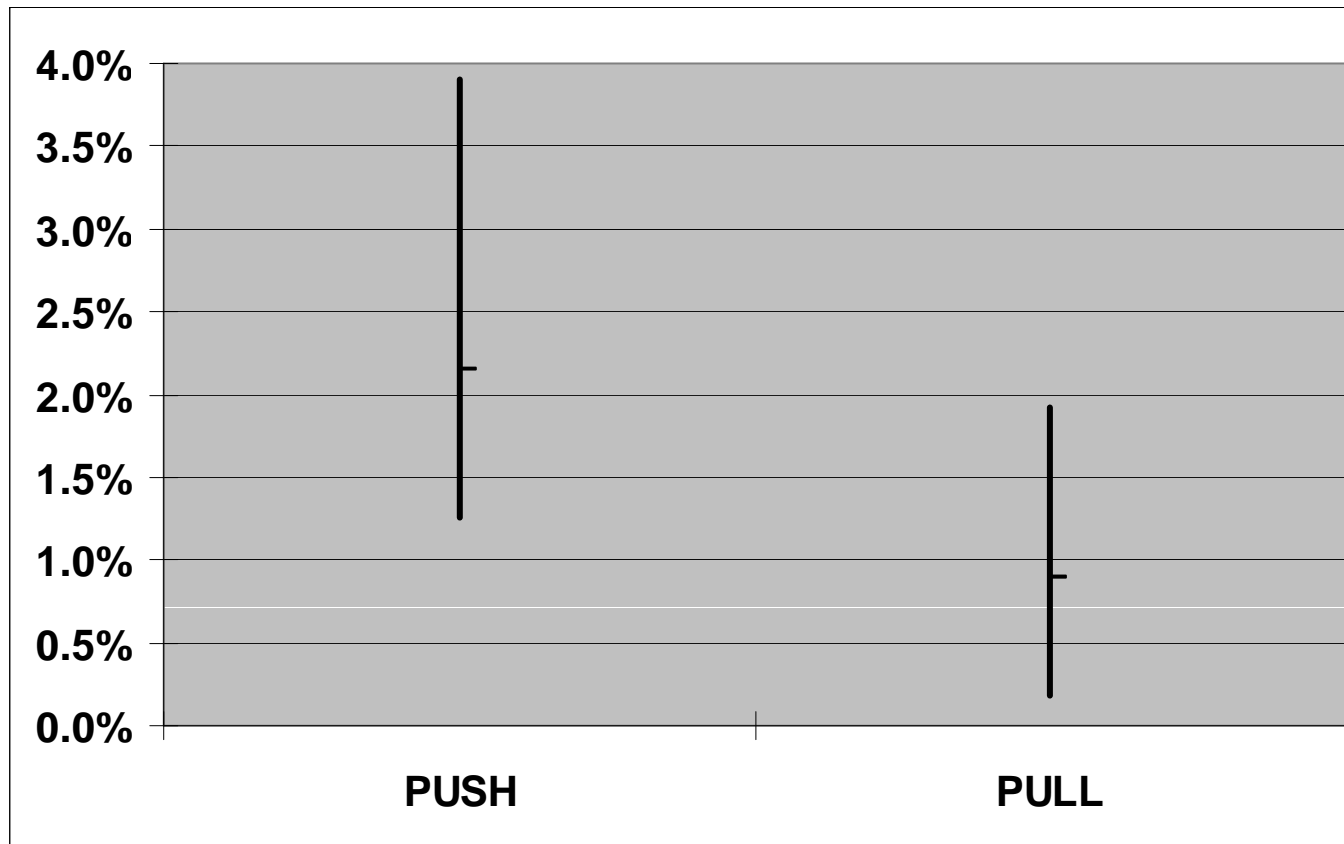


Instantaneous testing

Effects of yield loss: operational cost

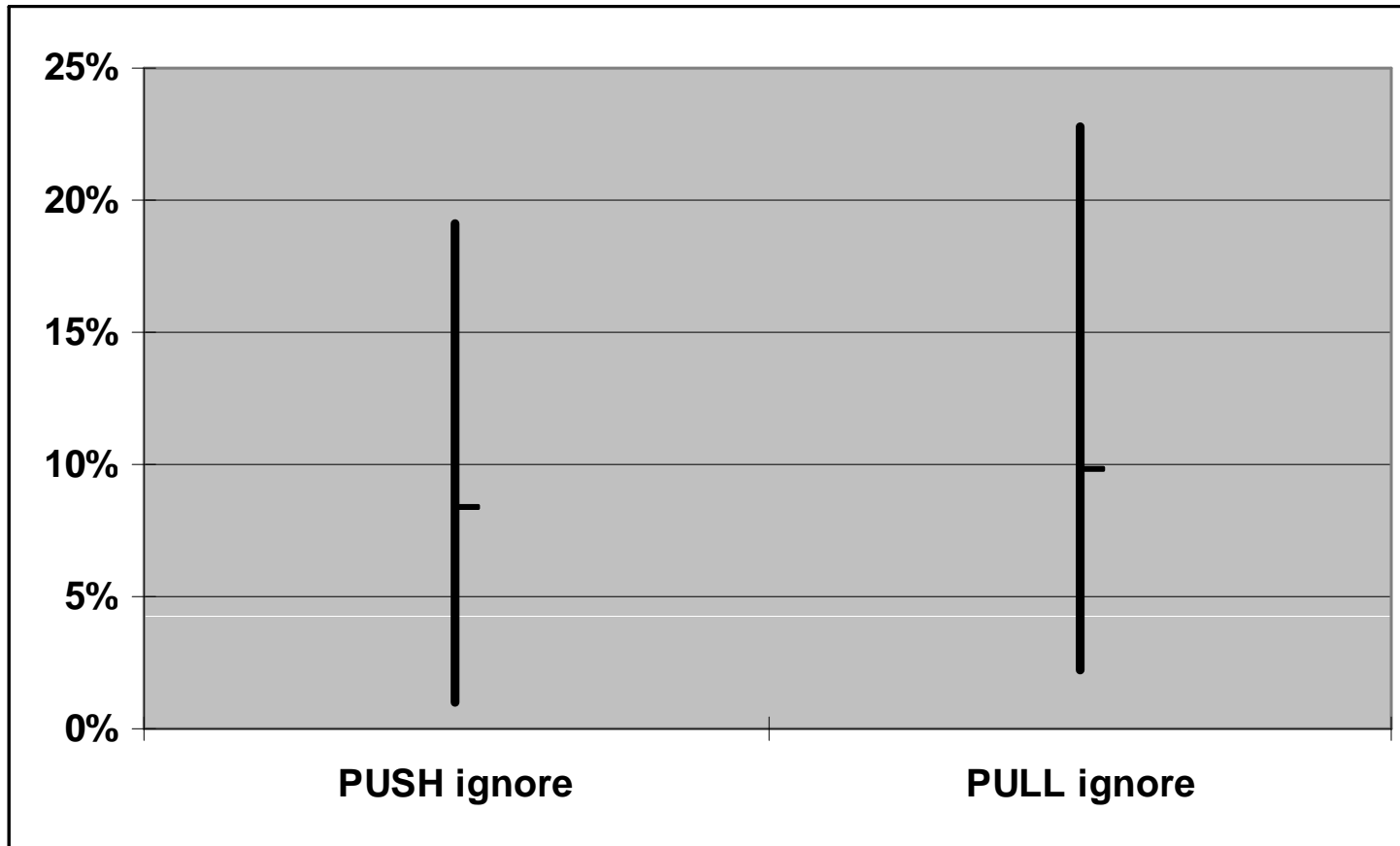


Cost performance: heuristics



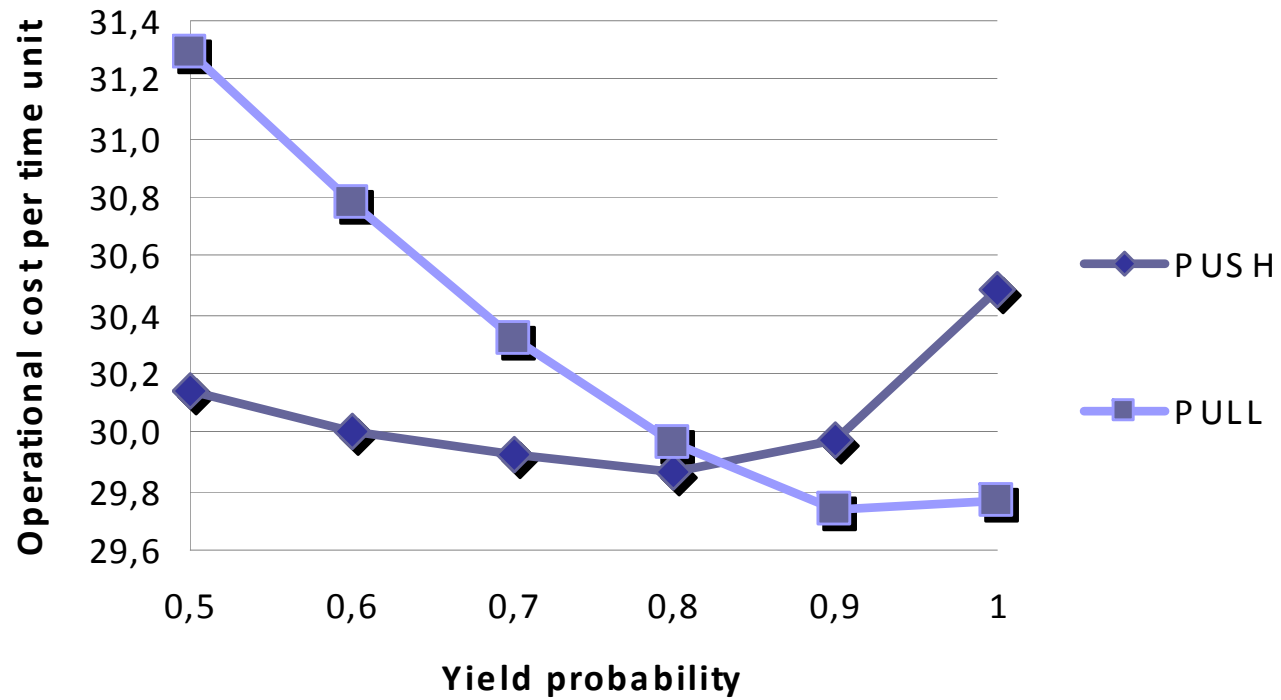
Based on all 81 scenarios

Cost performance: ignoring yield

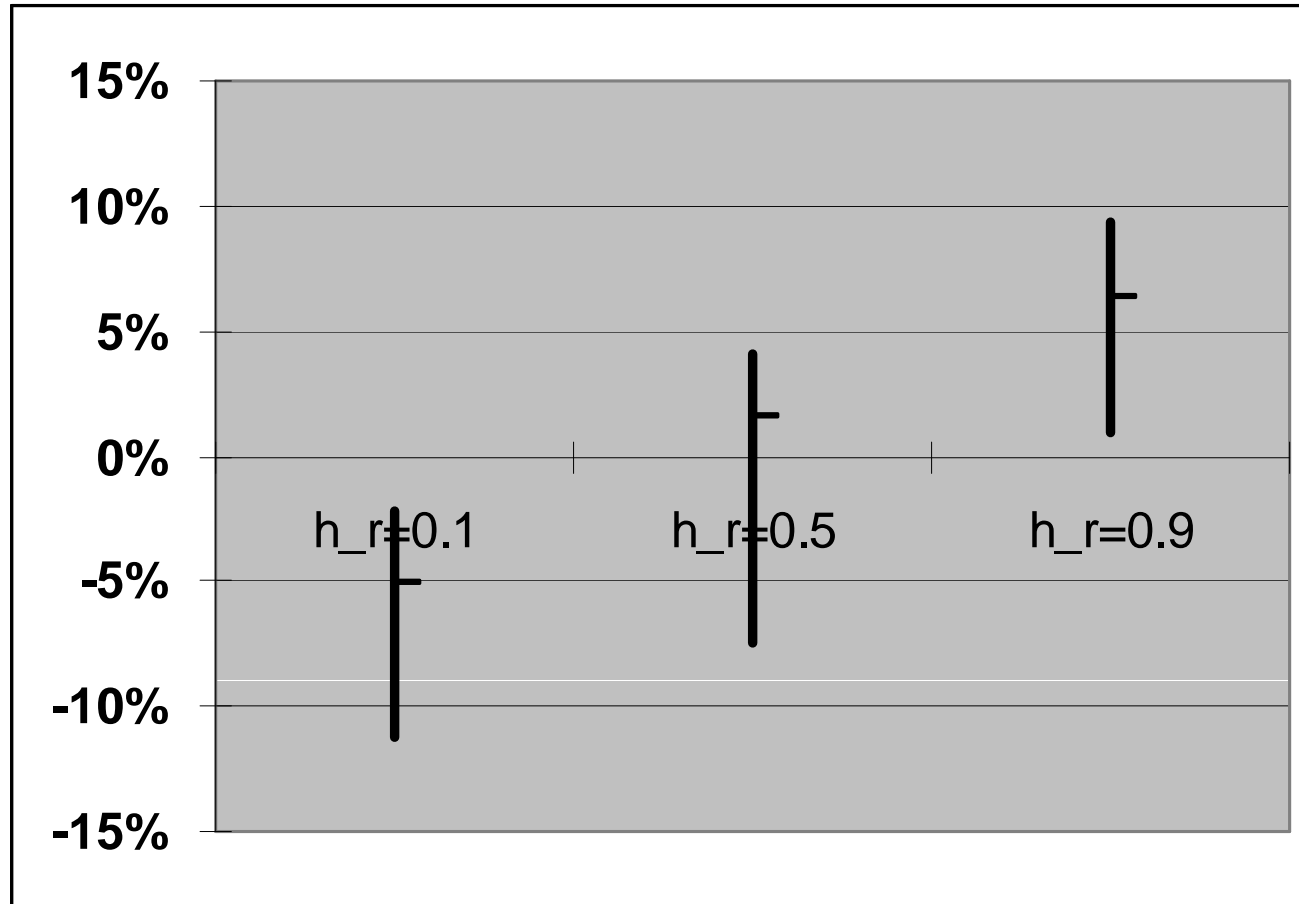


Based on all 81 scenarios

PUSH versus PULL



PUSH versus PULL

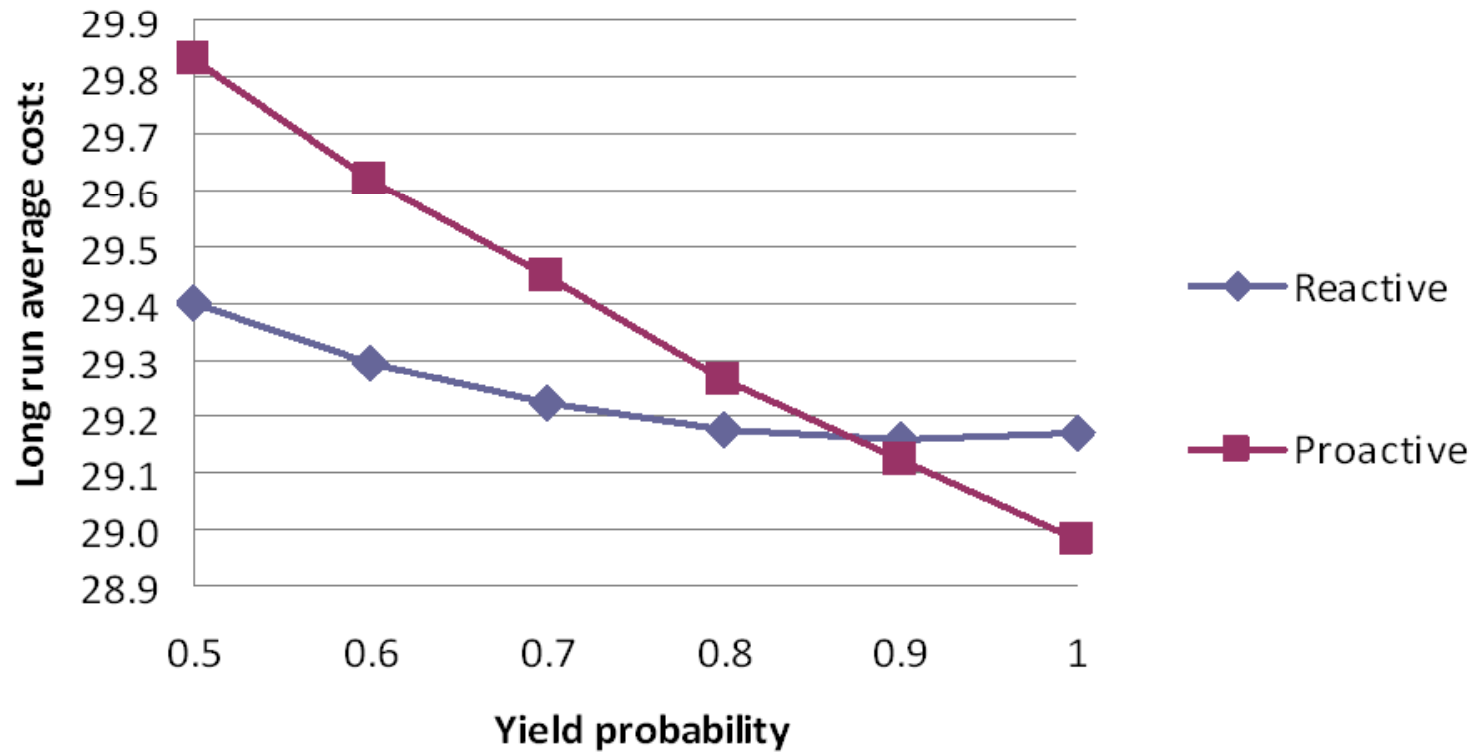


Based on all 243 scenarios

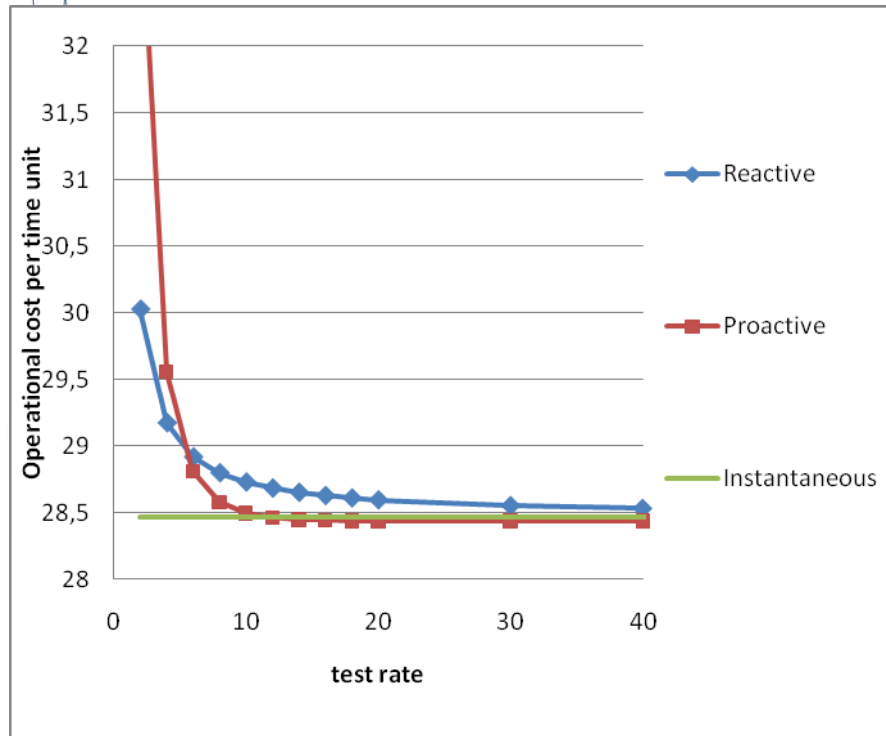


Reactive vs Proactive updating

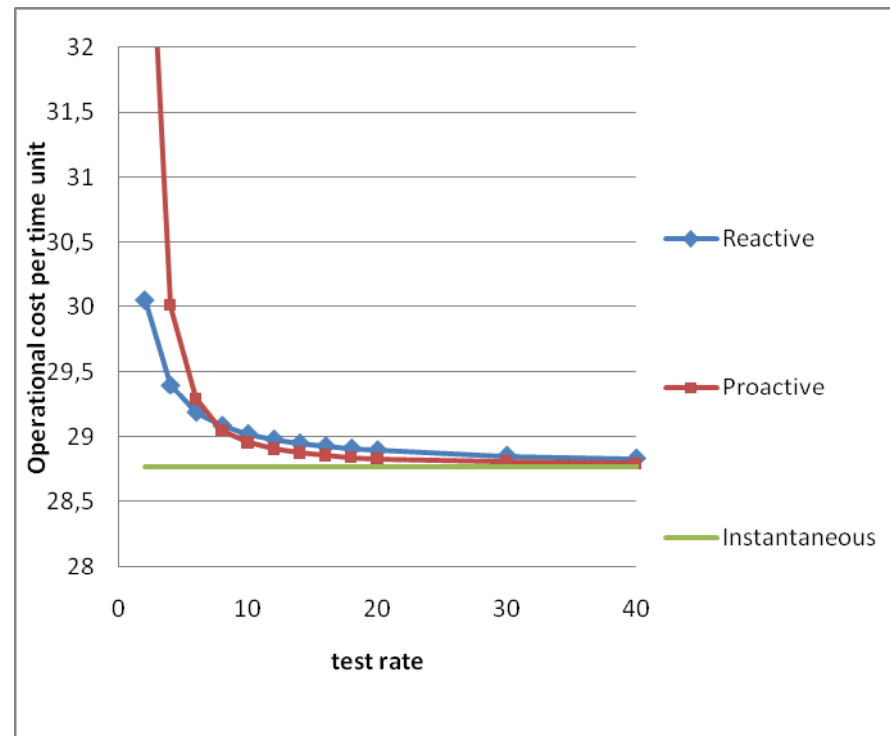
Reactive vs proactive updating (PUSH)



The effect of the testing rate (PUSH)

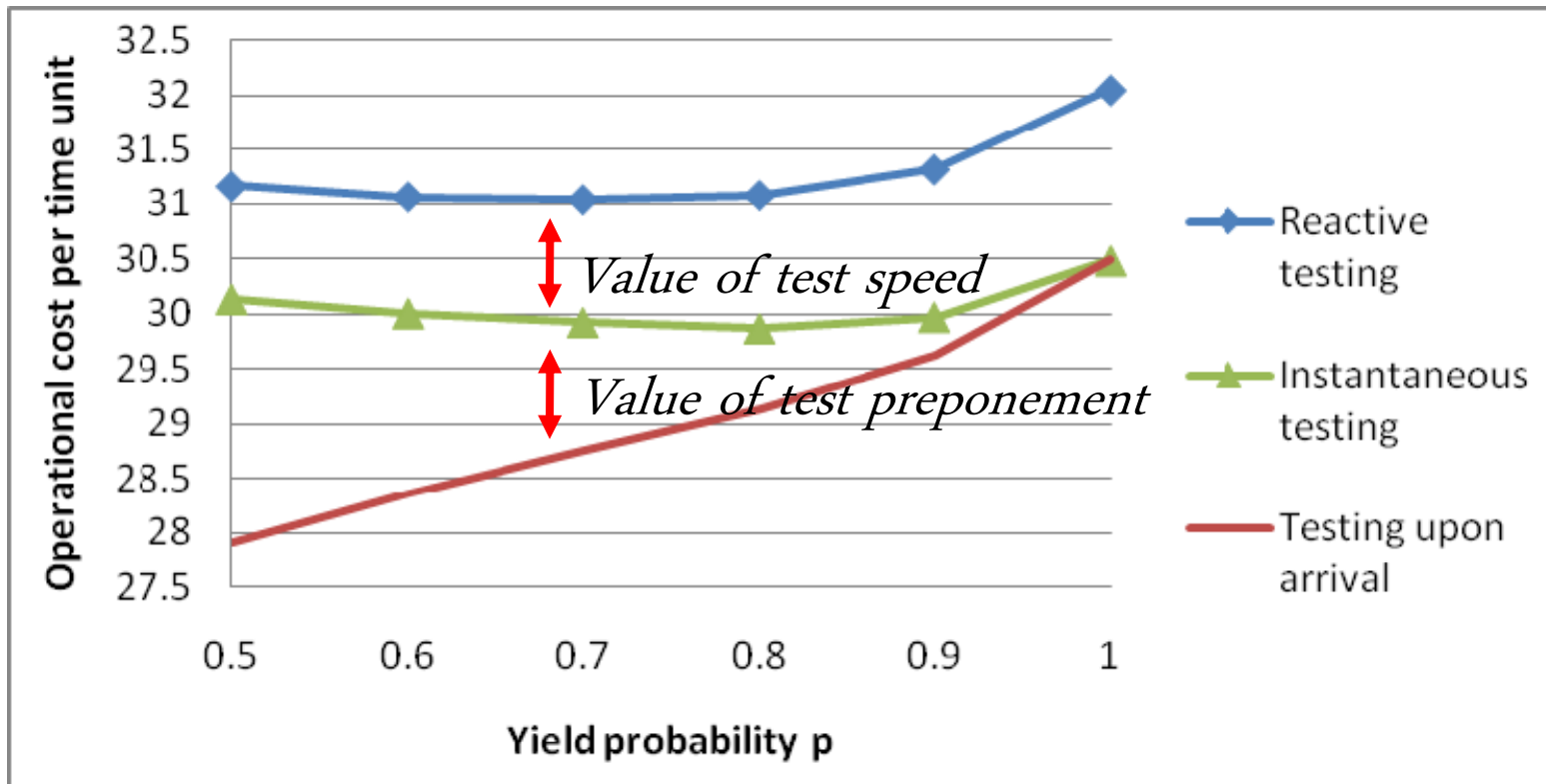


$p=1.0$



$p=0.5$

Value of early testing (PUSH)



Managerial implications

- Yield uncertainty has significant impact on optimal decisions and operational costs
 - Ignoring the yield is not an option
- PUSH vs PULL → mainly depends on holding cost ratio (h_r / h_s)
- Reactive updating is generally preferable
- Early testing pays off as long as
 - there is no substantial additional cost
 - There is low risk of misidentification



Thank you!

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